



**PABSON Kageshwori Manohara,
Kathmandu Pre-BLE-2079**

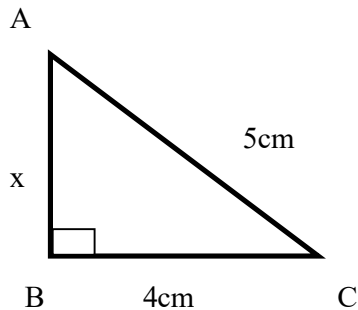
Class:-8 **Subject: O.Maths** Full Marks:- 50
Time:1 Hr:30 min. Date: 2079 Falgun 14 Pass Marks:-20

[Students are suggested to give their answers in own words as far as practicable. Marks will be awarded to precise and analytical answer]

Attempt all questions

Group A [2x9=18]

- a) $A=\{a, b\}$ and $B=\{2,3\}$, find $A \times B$
b) Find the sum of given polynomial x^3-4x^2+x+3 and $2x^3+2x^2-3x+2$
- a) Convert $40^\circ 5' 10''$ into seconds
b) Simplify $4\sqrt{8} + 2\sqrt{18}$
- a) Prove that $\frac{\sin\theta \cdot \sec\theta}{\operatorname{cosec}\theta \cdot \cos\theta} = \tan^2\theta$
b) Find the length of unknown side in the given figure:



- a) Prove that $\vec{a} = \begin{pmatrix} 1 \\ 0 \end{pmatrix}$ is a unit vector
b) If $A = \begin{bmatrix} 2 & 8 \\ 7 & 5 \end{bmatrix}$ and $\begin{bmatrix} 2 & 3 \\ 5 & 9 \end{bmatrix}$, find $3A+B$
c) Find the value of a and b in the ordered pair $(a-2, b+1)=(4,7)$

Group B [8x4=32]

- Two angles of a triangle are in the ratio 2:7 and the third angle is 90° . Find all angles in degree.
 - Prove that: $\sqrt{\frac{1-\cos\theta}{1+\cos\theta}} = \operatorname{cosec}\theta - \cot\theta$
 - If $\tan\theta = \frac{\sqrt{3}-1}{\sqrt{3}+1}$, prove that $\cos\theta = \frac{\sqrt{3}+1}{2\sqrt{2}}$
 - Simplify: $\frac{\sqrt{3}+\sqrt{2}}{\sqrt{3}-\sqrt{2}} + \frac{\sqrt{3}-\sqrt{2}}{\sqrt{3}+\sqrt{2}}$
 - Show that the points A(3,4), B(7,3) and C(4,8) are the vertices of an isosceles triangle.
 - Find the median of the following data
- | | | | | | |
|---|----|----|----|----|----|
| x | 10 | 15 | 20 | 25 | 30 |
| f | 2 | 4 | 6 | 5 | 4 |
- If $A = \begin{bmatrix} 3 & 0 \\ 0 & 3 \end{bmatrix}$, $B = \begin{bmatrix} 1 & 1 \\ 1 & 1 \end{bmatrix}$, $C = \begin{bmatrix} 1 & 0 \\ 1 & 1 \end{bmatrix}$ find $A+B-2C$
 - The vertices of ΔABC are A(2,4), B(6,8) and C(5,-3). Rotate ΔABC through 180° about the origin in anticlockwise direction. Draw the graph of ΔABC and its image on the same graph paper.

☺All the best☺